



Design and first prototype of cavity BPM electronics for the ELI-NP project

Manuel Cargnelutti, Libera Workshop 2016, 09.06.2016



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Presentation outline

- The ELI-NP project
- Cavity BPM requirements
- Electronics layout and simulations
- First prototype: purpose and results
- Conclusions



The ELI-NP project



Very high intensity laser

- 2x 10 PW lasers

Magurele - Romania



The ELI-NP project



Magurele - Romania

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Intense and brilliant γ beam

 obtained by incoherent Compton back scattering



The ELI-NP project



Magurele - Romania

Very high intensity laser

- 2x 10 PW lasers

Intense and brilliant γ beam

 obtained by incoherent Compton back scattering

Single and Combined studies



























Electron Beam Parameters:

Parameter	Value
Energy (MeV)	80-720
Bunch charge (pC)	25-400
# bunches in the train	≤ 32
Bunch separation (ns)	16.1





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BPM requirements:

- Sub- μ m position resolution in the range of +/- 1mm
- Bunch-by-bunch position measurement





Cavity BPM pickup







Cavity BPM pickup







Cavity BPM pickup





Cavity BPM pickup





Cavity BPM pickup





Cavity BPM output signal



$$f_{res} = 3.284GHz$$

 $Q = 40$
 $T_{decay} \cong Q/f_{res} = 12.1ns$



Cavity BPM output signal



$$f_{res} = 3.284GHz$$
$$Q = 40$$
$$T_{decay} \cong Q/f_{res} = 12.1ns$$
$$V_{ref} : -3 \div 18 \, dBm$$
$$V_{x,y} : 23 \div 45 \, dBm$$







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Libera Spark

- Down-conversion
- ADCs @ 500MHz
- Xilinx ZYNQ 7035
- Specific algorithms



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Libera Spark
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- Down-conversion
- ADCs @ 500MHz
- Xilinx ZYNQ 7035
- Specific algorithms
- S-band, C-band and X-band
- High-Q and Low-Q
- Single bunch and bunch trains



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FPGA: deconvolution filter

• Define bunch processing windows







- Define bunch processing windows
- Center of mass of bunch \rightarrow center of window







- Define bunch processing windows
- Center of mass of bunch \rightarrow center of window
- Deconvolution filter: compress each bunch response





- Define bunch processing windows
- Center of mass of bunch \rightarrow center of window
- Compress and impose border conditions







- Define bunch processing windows
- Center of mass of bunch \rightarrow center of window
- Compress the bunch response



Position Resolution – single bunch



Bunches:1 fo=3284 MHz, Q=40 Pos:-0.9mm ext attX:4dB, ext attI:30 dB

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Position range – single bunch





Position Resolution – single bunch







Position Resolution – single bunch





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Position Resolution – single bunch





Position Resolution – bunch train



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Position Resolution – bunch train





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Position Resolution – bunch train







Purpose:

validate some of the concepts which are essential for the system implementation.

The Phase 1 prototype is an interconnection of components and commercial evaluation boards.























Validation:

- individual board measurements
- combined measurements with sine-wave input signals: estimation of the achievable position resolution based on the noise introduced by the RF front-end



First prototype



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Conclusions

- Cavity BPM electronics are in development
- Can operate at different frequencies, cavities, beam modes
- Simulations and first prototype confirm sub-µm resolution
- New potential instrument platform based on 500MS/s ADCs







Thanks for your attention!

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Appendix: deconvolution filter



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Appendix: performance evaluation formula

The input signals X and I are IQ down-converted to the base-band to get V_x and V_1 Position is later calculated as:

$$X = X_{FS} \frac{V_x + \Delta V_x}{V_I + \Delta V_I}$$

Assuming ΔV_x and ΔV_1 Gaussian variables with same variance σ_v^2 the position measurement standard deviation can be calculated as:

$$\sigma_x = X_{FS} \frac{\sigma_V}{V_I} \sqrt{1 + \frac{1}{V_I}} \simeq X_{FS} \frac{\sigma_V}{V_I}$$



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